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Discharge simulation in the sub-basins of the Amazon using ORCHIDEE forced by new datasets

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Amazon discharge simulation using ORCHIDEE forced by new datasets

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Abstract

The aim of this study is to evaluate the ability of the ORCHIDEE land surface model to simulate streamflows over each sub-basin of the Amazon River basin. For this purpose, simulations are performed with a routing module including the influence of floodplains and swamps on river discharge and validated against on-site hydrological measurements collected within the HYBAM observatory over the 1980–2000 period. When forced by the NCC global meteorological dataset, the initial version of ORCHIDEE shows discrepancies with HYBAM measurements with underestimation by 15% of the annual mean streamflow at Óbidos hydrological station. Consequently, several improvements are incrementally added to the initial simulation in order to reduce those discrepancies. First, values of NCC precipitation are substituted by HYBAM daily in-situ rainfall observations from the meteorological services of Amazonian countries, interpolated over the basin. It highly improves the simulated streamflow over the northern and western parts of the basin, whereas streamflow over southern regions becomes overestimated, probably due to the extension of rainy spots that may be exaggerated by our interpolation method, or to an underestimation of simulated evapotranspiration when compared to flux tower measurements. Second, the initial map of maximal fractions of floodplains and swamps which largely underestimates floodplains areas over the main stem of the Amazon River and over the region of Llanos de Moxos in Bolivia, is substituted by a new one with a better agreement with different estimates over the basin. Simulated monthly water height is consequently better represented in ORCHIDEE when compared to Topex/Poseidon measurements over the main stem of the Amazon. Finally, a calibration of the time constant of the floodplain reservoir is performed to adjust the mean simulated seasonal peak flow at Óbidos in agreement with the observations.
1 Introduction

The Amazon River basin, the largest basin in the world with an area of approximately 6.0 million km$^2$, has the highest average discharge (206 000 m$^3$ s$^{-1}$) (Callede et al., 2010) and it contributes to about 15–20 % of the fresh water transported to the oceans (Richey et al., 1986). The present functioning of this basin is especially complex due to four elements: its expansion over large ranges of latitude, longitude and altitude that organize its mean hydrological characteristics, the presence of extensive inundation zones that contribute to runoff control at annual and interannual time scale, the influence of the Atlantic and Pacific oceans that partly control the hydrological variability at different time scales, and the land use changes that are increasing since the seventies and drive modification in the radiative and hydrological balances of the basin. Yet, a good understanding of the present hydrological response of the Amazon River basin to various forcings is required to evaluate future changes. This can be partly achieved by using numerical models relying on hydroclimatological databases. So far, regional discharge simulation in the Amazon River basin has been conducted by different groups. Vörösmarty et al. (1989) and Costa and Foley (1997) initiated the simulation efforts in the Amazon River basin. Coe et al. (2002) simulated discharge in 121 stations of the Amazon River basin using an integrated biosphere simulator coupled to a hydrological routing algorithm and obtained good results for Brazilian basins. However, a discharge underestimation was found in the basins pertaining to other Amazonian countries, due to the lack of reliable rainfall information except for Brazil. Other deficiencies of the model, related to the river and floodplain morphology, have been corrected in Coe et al. (2007) and allowed a great improvement of the simulation of discharge, water height and flooded area. In Coe et al. (2009), the same authors used the model to characterize the role of deforestation on runoff evolution. Also using ISBA (Soil-Biosphere-Atmosphere Interaction) land surface model and the TRIP river routing model, Decharme et al. (2008) compared their evaluations in the Parana, Orinoco and Amazon River basins with satellite-derived inundation estimates as well as in-situ
river discharge observations. At the beginning of the 20th century, a distributed Large Basin Simulation Model, called MGB-IPH (an acronym from the Portuguese for Large Basins Model and Institute of Hydraulic Research), was developed by Collischonn and Tucci (2001). Applications of this model were initially developed for the La Plata basin (Allasia et al., 2006) and then for some Amazonian rivers, the Madeira (Ribeiro et al., 2005), the Tapajos, where satellite-derived rainfall information is being used to run the model (Collischonn et al., 2008), and the Negro river, where spatial altimetry data is being used to complement the validation of the simulation (Getirana, 2010; Getirana et al., 2010). The comparison of different rainfall products used to force MGB-IPH in the Negro basin shows that observed data give the most adequate discharge results (Getirana et al., 2011). Recently, developments towards a better representation of floodplains in the upper Parana River (Pantanal region) have been presented in Paz et al. (2010). Beighley et al. (2009) focused on the representation of water storage in the Amazon River basin and the factors accounting for its variability. Finally, Paiva et al. (2011) show that it is possible to employ full hydrodynamic models within large-scale hydrological models even using limited data for river geometry and floodplain characterization.

This present work aims to evaluate the simulation of discharge in the Amazon main stem and in its principal tributaries by the hydrological module SECHIBA (Schématisation des EChanges Hydriques à l’Interface Biosphère-Atmosphère, Ducoudré et al., 1993) of the land surface model (LSM) ORCHIDEE (ORganising Carbon and Hydrology In Dynamic EcosystEms) considering a 11-level hydrology (De Rosnay, 1999; De Rosnay et al., 2002; d’Orgeval, 2006; d’Orgeval et al., 2008), using a routing module (Polcher, 2003) and the representation of floodplains and swamps by d’Orgeval (2006). All these characteristics of the model are described in Sect. 2. The model is forced by NCC atmospheric data (NCEP/NCAR Corrected by CRU data, Ngo-Duc et al., 2005) detailed in Sect. 3.1. Ngo-Duc et al. (2005) previously compared observed and simulated discharge values by ORCHIDEE at the Óbidos station, on the main stem of the Amazon River. In that experiment, the authors found that the quality of
simulations forced by this new 53-yr NCC data is better than the former ones forced by the GSWP2 (Global Soil Wetness Project 2, Dirmeyer et al., 2002; Zhao and Dirmeyer, 2003) forcing dataset. However, the discharge simulations forced by NCC pointed out some discrepancies in the annual cycles in some tributaries of the Amazon River basin and over- or underestimations of the mean discharge in the southern and western tributaries, respectively (Ronchail et al., personal communication). Improvements to former simulations may be expected thanks to the recent availability of a comprehensive observed precipitation dataset for the Amazon River basin made available within the framework of the ORE (Environmental Research Observatory) HYBAM (Geodynamical, hydrological and biogeochemical control of erosion/alteration and material transport in the Amazon River basin, Cochonneau et al., 2006) and of new satellite-derived maps of floodplains and swamps distribution (Martinez and Le Toan, 2007; Prigent et al., 2007). These new data datasets are described in Sect. 3.3. Our aim is to verify whether ORCHIDEE, forced by these new datasets, properly reproduces the different specificities of the main stem and of some large sub-basins of the Amazon when compared with observations (described in Sect. 3.2). Therefore, the new datasets are incrementally added to the initial simulation (ORCH1) performed with NCC and initial maps of flooded areas distribution. First, in simulation ORCH2, we test in Sect. 4 the impact of HYBAM precipitation on simulated water budget (Sect. 4.1) and simulated streamflow (Sect. 4.2) over the basin. The different characteristics of the simulated discharges (accuracy of the mean annual value, precision of the seasonal cycle and representation of the interannual variability) are studied in the different locations of the basin. Finally, the impact of the new spatial distribution of flooded areas on the time position of flooding and the water height of the floodplains is investigated through simulation ORCH3 in Sect. 5. Those improvements allowed us to calibrate the streamflow at Óbidos (simulation ORCH4). This calibration can be crucial to use ORCHIDEE as a tool to predict future changes in Amazon River basin hydrology. Indeed, an increase of extremes (floods and droughts) has already been observed since the nineties (Espinoza et al., 2009a). It may be part of the long-term variability described
by Callede et al. (2004) and Marengo (2004) but may be also a consequence of the climatic change described for South America by the IPCC (Solomon et al., 2007).

2 The land surface model ORCHIDEE

2.1 Hydrological module and vegetation

SECHIBA is the hydrological module of ORCHIDEE that simulates the fluxes between the soil and the atmosphere through the vegetation, and computes runoff and drainage, which are both discharged to the ocean. The hydrological module used in this study is based on developments by De Rosnay et al. (2000, 2002) and d’Orgeval (2006). Physical processes of vertical soil flow are represented by a diffusion-type equation resolved on a fine vertical discretization (11 levels) and the partitioning between surface infiltration and runoff is represented in the model. The hydrological module is fully described by De Rosnay (1999); De Rosnay et al. (2002); d’Orgeval (2006); d’Orgeval et al. (2008).

In order to reduce noise in our simulation of streamflow, no complex scenario such as deforestation, land use or forest fire are taken into account in this study. Vegetation distribution and LAI seasonality are prescribed in the model through global maps. In each grid-cell, up to thirteen Plant Functional Types (PFTs) can be represented simultaneously according to the International Geosphere Biosphere Programme (IGBP, Belward et al., 1999) and the Olson classification (Olson et al., 1983). Values of LAI come from the Normalized Difference Vegetation Index (NDVI) observations (Belward et al., 1999). The PFTs are grouped into 3 ensembles (bare soil, trees and grass/crops) and hydrological balance is computed for each one given a dominant soil type over the grid box defined by a map derived from Reynolds et al. (1999)’s dataset.
2.2 Routing module

The routing scheme (Polcher, 2003), described in Ngo-Duc et al. (2007), is activated in the model in order to carry the water from runoff and drainage simulated by SECHIBA to the ocean through reservoirs, with some delay. The routing scheme is based on a parametrization of the water flow on a global scale (Miller et al., 1994; Hagemann and Dumenil, 1998). Given the global map of the main watersheds (Oki et al., 1999; Fekete et al., 1999; Vörösmarty et al., 2000) which delineates the boundaries of sub-basins and gives the eight possible directions of water flow within the pixel, the surface runoff and the deep drainage are routed to the ocean. The resolution of the basin map is 0.5°, higher than usual resolution used when LSMs are applied. Therefore, we can have more than one basin in SECHIBA grid cell (sub-basins) and the water can flow either to the next sub-basin within the same grid cell or to the neighboring cell. In each sub-basin, the water is routed through a cascade of three linear reservoirs which do not interact with the atmosphere. The water balance within each reservoir is computed using the following continuity equation:

\[
\frac{dV_i}{dt} = Q_{in}^i - Q_{out}^i
\]

where \(V_i\) (kg) is the water amount in the reservoir \(i\) considered (\(i = 1, 2\) or \(3\)), \(Q_{in}^i\) and \(Q_{out}^i\) (both in kg day\(^{-1}\)) are, respectively the total inflow and outflow of the reservoir \(i\).

The slow and deep reservoir (\(i = 3\)) collects the deep drainage \(D\) (water moving downward from surface water to groundwater) computed by the land surface scheme, whereas the fast reservoir (\(i = 2\)) collects the computed surface runoff \(R\) (portion of incoming water such as precipitation and irrigation not infiltrating in the soil but discharged from the area). Both discharge into a third reservoir, called stream reservoir (\(i = 1\)), of the next sub-basin downstream. According to Eq. (1), the continuity equations...
can be written for each of the three reservoirs as below:

\[
\frac{dV_1}{dt} = \sum_x Q_x^{in} - Q_1^{out} \quad (2)
\]

\[
\frac{dV_2}{dt} = R - Q_2^{out} \quad (3)
\]

\[
\frac{dV_3}{dt} = D - Q_3^{out} \quad (4)
\]

where \(Q_x^{in}\) (kg day\(^{-1}\)) is the total inflow coming from the neighboring cells or sub-basins \(x\) and \(R\) and \(D\) (both in kg day\(^{-1}\)) are, respectively surface runoff and deep drainage.

The flow chart in Fig. 1 represents the routing channel modeling in SECHIBA through an example of two sub-basins (A and B) included in a same grid cell \(p\). Three reservoirs are allocated to each sub-basins. At each routing time step \(\Delta t = 1\) day, the routing scheme computes water flows as follows: the sum of the surface runoff and the deep drainage is spread in the grid cell \(p\) over the two sub-basins, proportionally to their surface. The surface runoff of the sub-basins A and B (respectively \(R_A^p\) and \(R_B^p\)) flows into their respective fast reservoirs of volume \(V_{A2}\) and \(V_{B2}\). The deep drainage \(D_A^p\) and \(D_B^p\) flows into the slow reservoirs of volume \(V_{A3}\) and \(V_{B3}\). The water amount of the river is represented by the stream reservoir. The stream reservoir of the sub-basin A is assumed to be empty in this example \((V_{A1} = 0)\), the outflows from the neighboring pixels \(x\) \((x = sw, w, nw, n, ne)\) to sub-basin A being null \((\sum_x Q_x^{out} = 0)\). The stream reservoir of the downstream sub-basin B of volume \(V_{B1}\) collects the sum of the outflows \(Q_A^{out}\) from the three reservoirs of the sub-basin A (see Eq. 5) and the outflow \(Q_s^{out}\) coming from the pixel \(s\) (Eq. 6).

\[
Q_A^{out} = \sum_{i=1}^{3} Q_{A_i}^{out} \quad (5)
\]
where $Q_{A_p}^{\text{out}}$ (kg day$^{-1}$) is the total outflow from the sub-basin A in the pixel p and $Q_{A_i p}^{\text{out}}$ (kg day$^{-1}$) the outflow from each reservoir $i$ of the sub-basin A in the pixel p.

$$Q_{B_p}^{\text{in}} = Q_{A_p}^{\text{out}} + Q_{s}^{\text{out}}$$

(6)

where $Q_{B_p}^{\text{in}}$ (kg day$^{-1}$) is the total inflow of the sub-basin B in the pixel p and $Q_{s}^{\text{out}}$ (kg day$^{-1}$) the total outflow from the pixel s.

The sum of the outflows from the reservoirs of the sub-basin B in the pixel p goes to the pixel e. Runoff and drainage are routed through this cascade of reservoirs. In our model, the volume of water $V_i$ into the reservoir $i$ is assumed to be linearly related to its outflow $Q_i^{\text{out}}$:

$$V_i = (g_i \cdot k) \cdot Q_i^{\text{out}}$$

(7)

where $g_i$ (day m$^{-1}$) is a property of the reservoir $i$ and $k$ (m) a water retention index.

The water travel simulated by the routing scheme is dependent on a water retention index $k$, given by a 0.5° resolution map for each pixel performed from a simplification of Manning’s formula (Dingman, 1994; Ducharne et al., 2003):

$$k = \sqrt{\frac{d^3}{\Delta z}}$$

(8)

where $d$ (m) is the river length from one subgrid basin to the next subgrid, and $\Delta z$ (m) the height lost over the path of the river.

The value of $g$ in the Eq. (7) has been calibrated for the three reservoirs over the Senegal river basin only, during the 1° NCC resolution simulations (Ngo-Duc et al., 2005; Ngo-Duc, 2006) and generalized for all the basins of the world. The “slow reservoir” and the “fast reservoir” have the highest value ($g_2 = g_3 = 3.0$ days m$^{-1}$) in order to simulate the groundwater. The “stream reservoir”, which represents all the water of the stream, has the lowest value ($g_1 = 0.24$ day m$^{-1}$). Those figures are the same for all the
basins of the world. The resulting product $g_i \cdot k$ represents the time constant $T_i$ (day) which is an e-folding time, the time necessary for the water amount in the stream reservoir to decrease by a factor e. Hence, it gives an order of magnitude of the travel time through this reservoir between the sub-basin considered and its downstream neighbor.

2.3 Floodplains and swamps module

Floodplains are land areas adjacent to streams that are subject to recurring inundation. The stream overflows its banks onto adjacent lands. Moreover, water can be stored in swamps, it saturates and infiltrates into the soil and does not return to the river. These inundated areas mainly correspond to flooded forest areas in the Amazon River basin. Thus, the module of floodplains/swamps developed in ORCHIDEE by d’Orgeval (2006) is used for this study in order to better represent the timing of flow in some regions of the Amazon River basin strongly affected by inundations. The parametrization is described in detail by d’Orgeval (2006); d’Orgeval et al. (2008). A map of maximal fractions of floodplains (MFF) and swamps (MFS) derived from the Global Lakes and Wetlands Database (GLWD, Lehner and Döll, 2004) is initially prescribed to the model. Floodplains and swamps in the model derive, respectively from three types of water surfaces (Reservoir, Freshwater marsh-Floodplain and Pan-Brackish/Saline wetland) and one type (Swamp forest-Flooded forest) according to GLWD database.

Over floodplains areas, the streamflow $Q_{in}^{B_p}$ from head waters of the reservoirs of the basin A flows into a reservoir of floodplains ($Q_{in}^{B_p} = Q_{in}^{F_d}$) instead of the stream reservoir of volume $V_{B1}$ of the next downstream (Fig. 1). The surface $S_{Fd}$ of the floodplain depends on the shape of the bottom of the floodplain in order to simulate the timing between the rise of water level and its expansion. Finally, water from the floodplains reservoir that has not evaporated or reinfiltrated the soil flows into the stream reservoir of volume $V_{B1}$ of the basin B after a delay. This delay is characterized by the time
constant \( T_{Fd} \) (day) function of the surface of the floodplains \( S_{Fd} \):

\[
T_{Fd} = g_{Fd} \cdot \frac{S_{Fd}}{S_B}
\]  

(9)

where \( g_{Fd} = 4.0 \) days is a property of the floodplain reservoir, \( S_{Fd} \) (m\(^2\)) the surface of the floodplain and \( S_B \) (m\(^2\)) the surface of the basin.

The value of \( g_{Fd} \) has been calibrated through observations in the Niger Inner Delta and can thus be different for the Amazon River basin as it will be shown in Sect. 5.1.

Over swamp areas, a fraction of water \( \alpha = 0.2 \) is uptaken from the stream reservoir of volume \( V_{A1}^{\text{in}} \left( Q_{\text{Swp}}^{\text{in}} = \alpha Q_{A_p}^{\text{in}} \right) \). It is transferred into soil moisture (Fig. 1) and thus does not return directly to the river. The swamp storage enhances transpiration of forest where the soil is saturated, reducing bare soil evaporation.

3 Datasets

In this section, the datasets used in this work are presented: the atmospheric forcing, the validation data and the new rainfall and flooded areas distribution datasets used to force ORCHIDEE.

3.1 Atmospheric forcing

The atmospheric data set used as input to ORCHIDEE is NCC (NCEP/NCAR Corrected by CRU data, Ngo-Duc et al., 2005) based on the NCEP/NCAR reanalysis project (Kistler et al., 2001) and in-situ observations. The spatial resolution is \( 1^\circ \times 1^\circ \) for the whole globe. The temporal resolution is six hours and the time series cover the 1948–2000 period. All variables present in the forcing are summarized in Table 1. The NCC precipitation is a hybridization of NCEP and CRU precipitation (New et al., 2000); the radiation is a hybridization of NCEP and SRB radiation (Surface Radiation Budget data produced at NASA Langley Research Center) used for a bias correction.
of the reanalysis product. The data has allowed to simulate the 50-yr river flows over the planet (Ngo-Duc et al., 2005).

3.2 Data of validation

3.2.1 ORE HYBAM gauge stations

Discharge data has been gathered and complemented within the frame of the ORE (Environmental Research Observatory) HYBAM (Geodynamical, hydrological and biogeochemical control of erosion/alteration and material transport in the Amazon River basin – http://www.ore-hybam.org/), a partnership which associates the meteorological and hydrological services of the Amazonian countries (Agência Nacional de Águas Water National Office/ANA in Brazil (http://www2.ana.gov.br/), Servicio Nacional de Meteorología e Hidrología/National Meteorology and Hydrology Service/SENAMHI in Peru (http://www.senamhi.gob.pe/) and Bolivia (http://www.senamhi.gob.bo/), Instituto Nacional de Meteorología e Hidrología / National Meteorology and Hydrology Institute/INAMHI in Ecuador (http://www.inamhi.gov.ec/) and the French Institute of Research for Development (IRD – http://www.ird.fr/). The rating curves have been determined using the stream gauging measurements, recently with Acoustic Doppler Current Profiler (ADCP), and have been used to convert the water level series into discharge data. The daily water level data was corrected when necessary, eventually complemented using its correlation with data of upstream or downstream stations. Sixteen stations out of eighty were chosen to realize the comparison with simulated data (Fig. 2 and Table 2). The choice of these stations depended on:

– the length of the records. Those beginning in the late seventies were preferred to the others in order to get longer common series with the simulated data. However, in order to have information about most sub-basins, some short series were retained in places where no other record exists.
– the proximity of the stations. A choice was made between close stations as a function of the reliability of the records (absence of lacking value).

– the size of the river. Some very small rivers were not recognizable with ORCHIDEE due to the coarse resolution.

3.2.2 Topex/poseidon measurements

Surface monitoring by satellite altimetry has been performed on the whole Earth since 1993 (Crétaux et al., 2011). Altimetry datasets are available over the main stem of the Amazon and the Rio Negro-Branco rivers for a time period common to ours (1993–2000) thanks to Topex/Poseidon satellite mission. These measurements are used to assess the accuracy of ORCHIDEE to simulate floodplain height variability.

3.3 New basis of observations over the Amazon River basin

In order to simulate the streamflow with higher accuracy over the Amazon River basin, a new set of observations of precipitation is used to force ORCHIDEE and validate NCC. A new map of MFF and MFS based on observations is also tested and compared with the initial map prescribed to the model. The details of the construction and implementation of these new datasets are described in this section.

3.3.1 HYBAM precipitation

Global rainfall datasets usually rely on very sparse in-situ observations over the Amazon River basin. Consequently, the Amazonian precipitation is often poorly represented in such datasets, especially regarding the plain of the Andean countries (Espinoza et al., 2009b). Within the frame of the ORE HYBAM, daily rainfall data from 1488 rain gauges have been gathered, from 1975 to 2009. A quality control based on the application of the Regional Vector Method (RVM) on the rainfall values (Espinoza et al., 2009b) was then performed over the Amazon River basin. 752 rain gauges were finally
retained with data covering more than five-year continuous periods, and the lowest probability of errors in their series. Because a few extremely rainy spots located on the foothills of the Eastern Andes bring large amounts of water to the western and south-western parts of the basin (Killeen et al., 2007), we then chose to replace missing values of these particular stations by estimated values using linear regressions or by long-term climatological means. A strong underestimation of the rainfall input is thus avoided for the periods when records of one or several of these wet spots are missing. The concerned locations are the Chapare region in Bolivia (Cristal Mayu and Misicuni stations), the Manu-Tambopata area (Quincemil and San Gaban stations) and the Selva Central region (Tingo Maria station) in Peru. In-situ observations were afterward spatially interpolated to the resolution of NCC (1° x 1°). Geostatistics have been widely used to interpolate environmental variables such as rainfall (Goovaerts, 2000; Hevesi et al., 1992). Ordinary kriging has notably been shown to provide better estimates than conventional methods, as it takes into account the spatial dependence between neighbouring observations, which is expressed by a semi-variogram. In this study, ordinary kriging was thus performed to generate an observation-based gridded daily rainfall dataset. Finally, because other NCC variables were available at a 6-h temporal resolution, daily rainfall grids were segmented at this resolution following a diurnal cycle as described in NCC precipitation data. If the NCC precipitation is null for the four 6 h time-steps in the day, the HYBAM daily value is spread equally over the time-steps.

Mean annual value of NCC precipitation over the basin is about 2044 mm yr\(^{-1}\) whereas HYBAM precipitation shows a higher value than NCC (2190 mm yr\(^{-1}\) i.e. +7.1 %). The mean annual spatial distribution in precipitation is shown over the Amazon River basin for both datasets in Fig. 3a,b and their difference is calculated (Fig. 3c). In both datasets, the spatial distribution of precipitation of the Amazon River basin is quite similar. The rainiest regions (3000 mm yr\(^{-1}\) and more) are located in the northwest of the basin (Colombia, North of the Ecuadorian Amazon, Northeast of Peru and Northwest of Brazil). Rainfall is also abundant close to the average position of the South Atlantic Convergence Zone (SACZ), established during austral summer from the
Northwest of the Amazon to the Subtropical South Atlantic (Vera et al., 2006). Rainfall decreases toward the tropics, reaching less than 1500 mm yr\(^{-1}\) in the Peruvian-Bolivian plain and toward the north in the Roraima Brazilian state. Rainfall also diminishes with altitude: in the Andes, over 2000 m, annual rainfalls lower than 1000 mm are the most frequent. However, some differences in precipitation rate exist between the two datasets. HYBAM depicts a sharp increase by 250 to 750 mm yr\(^{-1}\) of the amount of rainfall in the north-west of the basin toward the southern and eastern part of this area. Extremely high values can be measured in the wet spots of the Eastern Andes foothills, in positions that favor strong air uplift; in these very rainy spots scattered along the Cordillera, annual rainfall reaches 5000 to 6000 mm with HYBAM (regions of Churuyacu in Colombia, of the Reventador Volcano in Ecuador, of San Gabán and Tingo Maria in Peru, of the Chaparé in Bolivia) whereas these spots of precipitation are much less significant in NCC dataset. Finally, drier regions are present in HYBAM compared to NCC over the south-east of the basin, the region of the Amazon mouth, the extreme north of the basin and over Ecuador and Central Peru.

3.3.2 Map of maximal fractions of floodplains and swamps

Initially, the maps of MFF and MFS prescribed to ORCHIDEE were derived from the GLWD dataset of Lehner and Döll (2004) (hereafter called “GLWD”). In this study, a new map (hereafter called “PRIMA”) is produced where MFF and MFS are, respectively derived from Prigent et al. (2007) and Martinez and Le Toan (2007) dataset at 0.25° × 0.25° and interpolated at 0.5° × 0.5° for ORCHIDEE. Prigent et al. (2007) estimated monthly inundated fractions over the world by multisatellite method for eight years (1993–2000). Then, for each 0.5° pixel of the Amazon River basin, as we need it for ORCHIDEE, we determine the maximal value that has been recorded during the 8 yr observation. As there is no distinction between floodplains and swamps in Prigent et al. (2007)’s estimates, we apply to the maximal value a ratio of their maximal distribution using the 1995–1996 flood estimate by Martinez and Le Toan, 2007 who distinguish floodplains and flooded forests areas.
The GLWD and PRIMA maps are compared for floodplains (Fig. 4) and swamps (Fig. 5). For both water surfaces, the difference between the two maps is performed. For both datasets, floodplains are located along the main stem of the Solimoes-Amazon River, in the southern region of the basin in Llanos de Moxos and to a lesser extent along the Ireng river (in GLWD) or the Branco river (in PRIMA) in the northernmost region of the basin (Fig. 4). However, MFF of PRIMA map are globally higher than GLWD (respectively about 4.2 and 2.6% of the total area of the Amazon River basin according to Table 3). Moreover, in PRIMA map, many MFF lower than 5% within the mesh cover almost all the basin whereas GLWD does not give data over these regions. The difference in MFF between the two maps is particularly high along the main stem of the Solimoes-Amazon River and especially near the mouth (between +5 to +15% before Manacapuru to more than +70% around Óbidos (see Fig. 2 and Table 2 for localization of the two stations)). We note that a small percentage of this difference (up to about 2% around Obidos) is explained by the fact that Prigent et al. (2007)’s data take into account the surface of the river while Lehner and Döll (2004) data does not.

In the south, the region of Llanos de Moxos shows the same order of increase in MFF with PRIMA dataset particularly over the Mamoré river in Bolivia. In Llanos de Moxos and along the main stem of the Solimoes-Amazon River, PRIMA is in better agreement with Hamilton et al. (2002)’s estimates with an underestimation of MFF by 30% which is much lower than GLWD (near 100%) according to Table 4. In the North, at Roraima region, PRIMA is again in better agreement with Hamilton et al. (2002)’s estimates (about +15%) than GLWD (about −70%). For MFS, PRIMA presents half the extent of GLWD across the river basin (Table 3). According to Fig. 5c, this decrease is observed over the western part of the basin and mainly in the Northern Peruvian region (up to 45% more over some pixels), the south-easternmost part of the basin and along the main stem near the mouth of the Amazon River. On the other hand, an increase of MFS compared to GLWD is observed over southern regions of the basin mainly over Llanos de Moxos (up to 45% more over some pixels) and along the Negro and Branco rivers.
To summarize, combining floodplains and swamps, the total maximal fractions in PRIMA are lower on average over the Amazon River basin when compared to GLWD (Table 3). Estimates over Central Amazon were performed by Hess et al. (2003) for the flood period May–August 1996 where water surfaces have been differentiated and classified. We sum the two classes “Non vegetated-flooded” and “Non woody-flooded” for comparison with our “Floodplains” class and “Woody-flooded” class is considered to be equivalent to “Swamps”. On average over the Central Amazon, PRIMA shows an underestimation of less than by 20 % of total MFF and MFS compared to Hess et al. (2003)’s estimates whereas GLWD underestimation is near by 40 % (Table 4). Moreover, according to Hess et al. (2003), flooded forest (i.e. swamps) constituted nearly 70 % of the entire wetland area during high water period in this region. The distribution of swamps according to PRIMA is close to this estimate with a value of 61 % whereas GLWD largely overestimates it (95 %). Fig. 6 shows a comparison in MFF and MFS between Hess et al. (2003)’s estimates, GLWD and PRIMA datasets in three points over the main stem of the Amazon River. MFF with GLWD is systematically underestimated throughout the main stem whereas PRIMA is in better agreement with estimates even if MFF remains lower than the estimates by Hess et al. (2003). MFS in PRIMA is well distributed at Curuai (about 20 %) and Cabaliana (about 40 %) but for the western region of the main stem, GLWD gives much higher MFS (about 65 %) than PRIMA (about 35 %) in agreement with estimates (about 70 %).

4 Simulated water budget and streamflows over the basin: impact of NCC precipitation corrected by HYBAM

4.1 Simulated water budget

The study of water budget led to many estimates from models, reanalysis and lately measurements of fluxes. A non-exhaustive list of the annual values from some estimates in the literature (mainly from Large Scale Biosphere-Atmosphere Experiment in
Amazonia (LBA) measurements) is given in Table 5 in average over the Amazon River basin and in different regions of the basin. In comparison, results from simulations ORCH1 (ORCHIDEE forced by NCC) and ORCH2 (ORCHIDEE forced by NCC corrected by HYBAM precipitation) are shown. According to the different estimates, the water budget components over the whole basin are about $6.2 \pm 1.1 \text{mm d}^{-1}$ in precipitation $P$, $3.9 \pm 0.7 \text{mm d}^{-1}$ in evapotranspiration (ET) and $2.99 \text{mm d}^{-1}$ in runoff ($R$). We note that the uncertainty is high in the estimations in $P$ and $E$ (their standard deviations are around $1.0 \text{mm d}^{-1}$). Runoff is estimated from one value from Callede et al. (2010)’s estimate with an error of 6%. Moreover, according to Marengo (2006), the different estimates of areas of the Amazon River basin generate uncertainty in the estimations of runoff at the mouth of the Amazon. Thus, an uncertainty also exists in comparison with simulated runoff. In the model, it is computed from a total surface of basin equal to 5,853,804 km$^2$ (Fekete et al., 1999) which is lower ($-1.8\%$) than Callede et al. (2010)’s estimate (5,961,000 km$^2$). Precipitation over the whole basin is about $5.6 \text{mm d}^{-1}$ according to NCC. It is underestimated when compared to the average value of the estimations. Furthermore, it is also lower than the median of the observations ($5.9 \text{mm d}^{-1}$). NCC value is higher than GPCP estimate ($5.2 \text{mm d}^{-1}$), equal to CMAP but underestimated when compared to the five other estimates. HYBAM data ($6.0 \text{mm d}^{-1}$) is closer to the average value and the median of the estimations. It is equal to CRU average value and close to the estimates by Marengo (2005) ($5.8 \text{mm d}^{-1}$) and LW ($5.9 \text{mm d}^{-1}$). Simulated ET over the whole basin (about $2.8 \text{mm d}^{-1}$) seems to be underestimated when compared to the average value given by Da Rocha et al. (2009). ET variation between the two simulations is not significant. ET is more limited by the amount of incident energy, which is the same in both simulations, rather than by precipitation change. The resulting simulated runoff at the mouth of the Amazon is underestimated by 6% compared to Callede et al. (2010)’s estimate when NCC precipitation is used. The correction by HYBAM data leads to an overestimation of $R$ by 8.4%. If we consider that HYBAM precipitation is closer to the observations than NCC, the overestimation of $R$ is mainly due to the low ET simulated.
in the model. Simulated \( P \) and ET are also compared with measurements (Table 5) from six LBA flux towers and one field site. They are located along the main stem of the Amazon River and over the south-eastern part of the basin (see Fig. 7 for localization). The results confirm the underestimation in simulated ET for both simulations in the central region of the basin (K14, K34, DCK and K83) and in the south (RJA and JAV). The underestimation at JAV is only 8% but may be more since \( P \) in the model is high compared to observation (+12 to +17%). Moreover, the low underestimation at JAV and the slight overestimation at SIN (+3 to 9%) in ET compared to measurements occur in a region facing deforestation. However, in this region, the tropical forest covers 98% of the grid cell area in the model, whereas the measurements have been performed over a transitional tropical forest. Thus, as long as ORCHIDEE does not take into account deforestation, the comparison with observation in this region may be biased where simulated ET can be overestimated.

Regarding the underestimation in ET near Manaus, measurements of precipitation and ET are available for two years (September 1983–September 1985) (Shuttleworth, 1988). Moreover, evaporation over leaves \( (E_v) \) and transpiration \( (T_v) \) data are distinguished. Table 6 shows a comparison of the annual rate of these variables between the two simulations and observations. First, the results in precipitation show an underestimation in annual rate between observations and both simulations. However, underestimation is lower (−4%) when NCC is corrected by HYBAM data. Moreover, a better accuracy in variability is found compared to measurements \( (r^2 \text{ of ORCH1 and ORCH2 are, respectively 0.66 and 0.71}) \). Both forcings give less precipitation than observed at the end of 1984 and particularly in December (Fig. 8a). Then, ORCH2 is in better agreement with measurements during the dry period. During the next wet period in 1985, the variability of precipitation is not well represented in both simulations. HYBAM overestimates precipitation at the end of the wet 1985 period. The use of daily precipitation from HYBAM database does not change the underestimated simulated ET (Table 5). In fact, the radiative budget is not affected and the energy available to evaporate remains the same. However, the use of HYBAM daily rainfall dataset change
the ratio between evaporation of water over the leaves ($E_v$) and transpiration ($T_v$). Variation of $E_v$ during the time period is improved in ORCH2 compared to ORCH1 (the coefficients of correlation with observations are, respectively 0.6 and 0.7 with ORCH1 and ORCH2, Table 6) where a low seasonality was simulated throughout the period (Fig. 8b). Moreover, $E_v$ overestimation observed with ORCH1 (+77 %) is reduced by more than half (+27.5 %) on average over the period with ORCH2 (Table 6). As $E_v$ is reduced, $T_v$ increases with ORCH2 but remains underestimated (respectively about 54 and 66 % for ORCH1 and ORCH2 according to Table 6) throughout the time period (Fig. 8c). However, the seasonal variation is in agreement with observations ($r^2$ is, respectively 0.7 and 0.8 with ORCH1 and ORCH2 according to Table 6) where dry season and wet season are well differentiated (Fig. 8c).

The precipitation over the Amazon River basin is improved by the use of HYBAM daily dataset. However, ET does not change between the two simulations and remains underestimated compared to observations. This discrepancy may be attributed to the low transpiration simulated by the model that has been pointed out at Manaus. In ORCH2, the resulting simulated runoff at the mouth of the Amazon is consequently overestimated. In the next section, the annual simulated streamflow variation will be studied in the main sub-basins of the Amazon. Moreover, results in streamflow will be discussed when the observations of precipitation and floodplains/swamps distribution are implemented in the forcing of the model.

4.2 Simulated river discharge at Óbidos and over the sub-basins of the Amazon River

The mean annual streamflow estimated at the mouth of the Amazon River basin is about $206 \times 10^3 \text{ m}^3 \text{ s}^{-1}$ (2.99 mm d$^{-1}$) with an error of 6 % due to the method, for a total area of 5 961 000 km$^2$ and the time period 1972–2003 (Callede et al., 2010). Simulated streamflow is given at the pixel of the routing network corresponding to the mouth of the basin of a total surface equal to 5 853 804 km$^2$ in the model (Fekete et al., 1999). According to ORCH1, simulated streamflow at the mouth is underestimated...
(191 × 10^3 m^3 s^{-1}) compared to Callede et al. (2010)'s estimates (−7.42 %) whereas with ORCH2, an overestimation is found (220 × 10^3 m^3 s^{-1} i.e. +6.56 %). We note that the differences in streamflow between simulation and observation are of the same order than the estimated error in observation. The increase of about 15% in streamflow of the Amazon between ORCH1 and ORCH2 is mainly due to the increase in precipitation (+6.75 %) (ET did not change) when NCC data is corrected by HYBAM. At the OBI station, which is the nearest gauged station from the outlet of the basin, mean annual simulated streamflow with ORCH1 is highly underestimated (−15 %) compared to HYBAM discharge measurements, whereas with ORCH2 it is in good agreement with HYBAM (−0.25 %) (Table A1). Thus, between OBI and the mouth of the Amazon, a large quantity of water, overestimated in both simulations, comes from the south-eastern river basins (Xingu and Tapajos Rivers) as found at ITA (+20 %) and ALT (more than +90 %) according to Table A1 (see Fig. 2 and Table 2 for localization of the stations).

At OBI station, about 20 % of discharge comes from southern basins (FVA), 20 % from northern basins (ACA, SER, CARA), 30 % from western/south-western basins (SPO, GAV, LAB) and 30 % from central residual basins (between SPO and MANA (hereafter called “MANA*”) and between MANA and OBI (hereafter called “OBI*”)) (Esperanza et al., 2009a) (see Fig. 2 and Table 2 for localization of the stations). With simulation ORCH1, the underestimation of streamflow at OBI is mainly due to the low streamflow over western/south-western regions of the basin (near −35 % at TAM) and over the two central residual basins (between −25 to more than −35 %) (Fig. 9a). The streamflow coming from the south is close to the observations but it is a compensation between the overestimation at RUR and GMIR and the underestimation over the two southern residual basins (hereafter called “PVE*” and “FVA*”). Simulated streamflow in northern stations like ACA and SER is close to the observations and an overestimation is observed over the northernmost region of the basin at CARA. The correction of NCC precipitation by HYBAM data leads to a decrease of the error with observation over Andean sub-basins (−24 % at TAM) and over the residual basin of MANA* where the precipitation has been significantly increased. Simulation of streamflow over the
residual basin of OBI* is not improved. It can be due to the lack of available rainfall gauges for kriging over this region (see Fig. 1 of Espinoza et al., 2009b). The overestimation of streamflow over all the southern sub-basins (except RUR) by 25 % to more than 35 %, mainly due to the increase of the rainy spots, leads to an excess of water at FVA. Consequently, simulated streamflow from ORCH2 at OBI station, close to the observations, is a result of a compensation between southern and western/south-western regions.

The observed streamflow at OBI has a pronounced seasonality during the year (Fig. 10a). It points out an average high-flow during May and June with a maximal value of about 230 × 10^3 m^3 s^{-1}. Then, a decrease occurs during five months until the low-flow in November (near 103 × 10^3 m^3 s^{-1}). Simulated streamflow is time shifted in both simulations compared to the observations (Fig. 10a). In fact, according to cross-correlation statistic (see Appendix for more details), correlation between simulated and observed discharges would be optimal if a time lag of 1 month was applied ($d_t = 1$ and $r_{cross} = 0.91$, $r_{cross} = 0.93$ for ORCH1 and ORCH2, respectively). However, Nash coefficient (see Appendix for more details) is increased when ORCHIDEE is forced by NCC precipitation corrected by HYBAM (0.08 and 0.40, respectively for ORCH1 and ORCH2 according to Table A1) indicating a significant improvement of the simulation in streamflow at OBI when HYBAM precipitation is used. The simulated interannual variation in streamflow is better captured with ORCH2 according to the coefficient of variation of the root mean squared error (see Appendix for more details) which is lower (22.5 %) than with ORCH1 (28 %). The simulated low-flow is improved (−17 % with ORCH2 compared to −41 % with ORCH1) but remains underestimated for most years whereas simulated high-flow is slightly overestimated with ORCH2 (+5 %) even more during some dry years (1981, 1985, 1992) (Fig. 10b).

Figure 11 depicts all the simulated seasonal cycles for both simulations at the sixteen stations across the Amazon River basin and are compared to the observed seasonality. Northern stations show an underestimation in high-flow in the western part (ACA and SER) and an overestimation in the eastern part (CARA and SFR). Low-flow is
underestimated everywhere except in the north at ACA and SER. The improvement of the seasonal cycles at TAM and SPO is pointed out when precipitation is corrected by HYBAM data. The underestimation in low-flow is reduced by about 50%. The Nash coefficient becomes positive in these stations, reaching 0.5. This mainly contributes to the increase in low flow at OBI with ORCH2 compared to ORCH1 and becomes in better agreement with observations. Moreover, the increase in precipitation in the north-western part of the basin induces a better seasonality. At station ACA, no change in Nash coefficient is shown but at SER, the seasonality is well captured when compared to observations (Nash coefficient reaches about 0.80). Interannual variation of streamflow at this station is also well simulated as shown in Fig. 12 (N-RMSE for ORCH1 and ORCH2 are, respectively about 27% and 19%). A better capture of high-flow with ORCH2 is shown (−1% of mean annual relative error with observations) and high-flow of each year from 1986 to 1993 is in better agreement with observations than with ORCH1 where they are systematically underestimated. In northern and north-eastern regions, simulated streamflow is improved (high-flow indeed) by the decrease in precipitation at CARA and SFR. Interannual variation of high-flow is better captured at CARA with ORCH2 (Fig. 13): the coefficient of correlation with observations is about 0.86 compared to 0.74 with ORCH1. Improvements are less pronounced for stations in south-eastern regions (ALT and ITA) where a decrease in precipitation was introduced. Concerning southern stations, simulated streamflow is degraded following the increase in precipitation. The overestimation in high flow simulated with ORCH1 is accentuated except for RUR where streamflow seasonality is well simulated (−1.3% of mean annual relative error with ORCH2). One can expect an underestimation in ET by ORCHIDEE over southern regions of the Amazon River basin as far as HYBAM precipitation is satisfactory.
5 Impact of the new distribution in maximal fractions of floodplains and swamps on river discharge

5.1 Discharge at Óbidos and model calibration

The introduction of a new map of MFF and MFS (simulation ORCH3), improves the seasonality of the streamflow at OBI (ORCH3 Nash coefficient is higher (0.54) than ORCH2 one (0.40) and N-RMSE is lower (19.6 compared to 22.50) according to Table A1). The increase in MFF over the main stem of the Amazon smoothes the increase in streamflow similarly to the observations (Fig. 14a) but delays the high-flow by one month \( (d_t = -1 \text{ and } r_{\text{cross}} = 0.90) \). In order to improve the timing of the high-flow, a calibration of the time constant of the floodplains reservoir, which was evaluated over the Niger Inner Delta \( (g_{Fd} = 4.0 \text{ days}) \), is performed in simulation ORCH4. The delay is corrected with a value of 2.5 days for the parameter \( g_{Fd} (d_t = 0 \text{ and } r_{\text{cross}} = 0.91) \) as shown in Fig. 14b, leading to a value of high-flow similar to observation (+2 % of error in Qmax). The Nash coefficient is consequently increased (0.80).

The increase in MFF over the region of Llanos de Moxos delays the peak of high-flow to March–April in agreement with observations leading to a better capture of low-flow period from August to November (Fig. 15a). Moreover, the mean annual streamflow at GMIR decreases in ORCH3 (about 500 m\(^3\) s\(^{-1}\)) due to increased swamps area in PRIMA map. The same effect is simulated inside the basin of the upper Rio Branco with ORCH3. A delay of the peak flow by one month occurs and a better capture of high-flow evolution during June to August is performed (Fig. 15b). The calibration at OBI does not change significantly the streamflows at the other stations compared to the previous results obtained with ORCH3 (see Table A1).

5.2 Simulated water height of the floodplains

Streamflow seasonality of the Amazon can be highly affected by floodplains distribution mainly between Manacapuru and the mouth, where large amounts of water are
transferred through the floodplains (Bonnet et al., 2008). Thus, variations of water height of the floodplains simulated in ORCHIDEE are compared with observations from Topex/Poseidon. Flooded fraction extension cannot be compared with observations as long as the swamps do not have a spatio-temporal variability simulated in ORCHIDEE. That would be an interesting perspective for further development of the model, but high uncertainties exist for this representation according to the poorly known topography in forested areas. Over the period 1993–2000, 8 locations of Topex/Poseidon measurements are distributed along the main stem of the Amazon, the Rio Branco and the Rio Negro (Fig. 16).

Results from simulation ORCH4 are compared to these estimates for the same time period. The effect of the change from the old distribution of the MFF (ORCH2) to the new one (ORCH3) and the effect of the calibration at OBI (ORCH4) on the simulated water level height is also shown (Table 7). Water height of the floodplains is not directly considered because ORCHIDEE does not take into account the height of the river bed. Then, an index of water height variation is performed for simulation and observations data. The minimal value of the water height during the 8 yr is considered as the height of the river bed and it is consequently subtracted each month to the water level height from the simulated and observed data.

Over the main stem, water height level is highly overestimated at the four stations (A1 to A4) with the old distribution of MFF (ORCH2) according to Table 7. Moreover, the overestimated standard deviation indicates a too-high variation in simulated water height through the year, despite a good correlation with observations. The new distribution of MFF (ORCH3) increases the rate of MFF over the main stem and logically reduces the water height of the floodplains. The calibration (ORCH4) improves the mean water height for the four stations (Table 7) and gives better correlations with observations (up to 0.92). However, the water height remains overestimated for all the stations, mainly around OBI. This is consistent when compared to Fig. 6 where Hess et al. (2003) estimate 25 % more MFF than ORCHIDEE at Curuai near OBI (see Fig. 6). Around MANA (stations A3 and A4), the simulated water height is in better agreement
with Topex/Poseidon measurements with a small overestimation. This corroborates the findings by Hess et al. (2003) who estimate only 5% more of MFF than ORCHIDEE at Cabaliana near MANA (see Fig. 6).

Over the Rio Negro, the change of the distribution in MFF does not improve the correlation with measurements which is good near the main stem at B1 and B2 (about 0.9) and low at B3 and B4 (between 0.5 and 0.7) (Table 7). We note that no fraction of floodplains were present in the old map at station B3, whereas the new distribution now enables a comparison with observations. The water height is underestimated at all the stations when compared to measurements, for all the simulations except B1 close to the main stem. In fact, the interannual seasonality of water height of floodplains is well captured at this station with ORCH4 compared to measurements during the eight years (Fig. 17). The old distribution in MFF largely overestimates the water height in flooded areas.

6 Summary and final remarks

In this work, the simulation by ORCHIDEE of discharge values in the main tributaries of the Amazon River basin and in the last gauged station Óbidos has benefited from two major inputs. A first improvement results from the introduction of a comprehensive daily rainfall observations derived from HYBAM dataset, that includes data from upstream regions of the basin, especially in Bolivia, Peru, Ecuador and Colombia that were not taken into consideration in former simulations. Indeed, the addition of high rainfall in the northwestern equatorial region and in some rainy spots spread along the Andes tends to improve the mean rainfall over the basin (ORCH2) that was previously underestimated (ORCH1). Simulated evapotranspiration remains underestimated when using HYBAM rainfall forcing, but the use of daily values in precipitation seems to highly improve the seasonal variation of evaporation of water over the leaves (ORCH2) when compared to Shuttleworth (1988)’s measurements near Manaus. The forcing by HYBAM rainfall results in an increase in streamflow by 15% at Óbidos (ORCH2) that is
more realistic than the previous one (ORCH1) when compared to the observations. However, the amplitude of the annual cycle is still inadequate. The flood is higher than observed at Óbidos, which may be attributed to overestimated high-flow in the southern basins and the low water stage is too low in accordance with low values in the northwestern basins. At a regional scale, HYBAM rainfall forcing considerably improves the discharge in the western basins where the seasonality and the interannual variability are reasonably well captured. This is also observed in the northern basins where the previously overestimated streamflow is reduced. However, streamflow is degraded in some southern basins where simulated evapotranspiration may be too low and the extension of rainy spots exaggerated by our interpolation method. An ongoing work thus aims at defining a better interpolation method, that would allow for a better description of the rainfall in the Andean part of the basin. A more accurate spatial pattern of the rainy spots should reduce the amount of precipitation over the respective sub-basins. In simulation ORCH2, the extremes in streamflow occur earlier than observed at Óbidos. That is why a second modification has been realized by introducing a new map of maximal fractions of floodplains and swamps in the model (ORCH3). The improvements are especially significant over the main stem of the Amazon River and in the Llanos de Moxos region. Together with a calibration at Óbidos of the time constant of the floodplains reservoir in the model (ORCH4), this change has improved the simulated water height of floodplains in the main stem of the Amazon River and corrected the discharge seasonality at Óbidos and in the involved sub-basins. Some extensions of this study can be considered, such as a vegetation map that would introduce the recent extension of deforested areas and finally, a better representation of evapotranspiration in the model. In addition, the improvements performed in the study in the ability of the ORCHIDEE model to represent the hydrological dynamics in the Amazon River basin make this model a powerful tool to study the impact of climate change scenarios onto the river discharge.
Appendix A

Statistical tools

Various indicators are used to compare observed and simulated discharge.

A1 Coefficient of variation of the root mean squared error

The Coefficient of Variation of the Root Mean Squared Error (CV(RMSE), Eq. A1) is similar to an $R^2$ error as it measures the degree of data scatter.

$$CV(RMSE) = \sqrt{\frac{\sum_{i=1}^{N}(Q_{ORCH_i} - Q_{obs_i})^2}{N} \times \frac{100}{Q_{obs}}} \quad (A1)$$

where $N$ is the time-step number, $Q_{ORCH_i}$ and $Q_{obs_i}$ ($m^3 s^{-1}$), respectively the simulated and observed streamflows for time-step $i$, $\overline{Q_{obs}}$ ($m^3 s^{-1}$) the mean of observed streamflows for the serie.

A2 Nash-Sutcliffe coefficient

The Nash-Sutcliffe efficiency coefficient (Nash, Eq. A2) assesses the predictive power of hydrological models (Nash and Sutcliffe, 1970). Nash-Sutcliffe efficiencies can range from $-\infty$ to 1. An efficiency of 1 corresponds to a perfect match of simulated discharge to the observed data. An efficiency of 0 indicates that the model predictions are as accurate as the mean of the observed data, whereas an efficiency less than zero occurs when the observed mean is a better predictor than the model. Essentially, the closer the model efficiency is to 1, the more accurate the model is.

$$Nash = 1 - \left[ \frac{\sum_{i=1}^{N} (Q_{ORCH_i} - Q_{obs_i})^2}{\sum_{i=1}^{N} (Q_{obs} - Q_{obs_i})^2} \right] \quad (A2)$$
A3 Coefficient of cross-correlation

The cross correlation computation is useful to illustrate the time lag existing between two seasonalities. In other words, it deduces the necessary delay $d_t$ to get the best correlation between the two seasonalities. The cross-correlation $r$ at delay $d_t$ is defined as:

$$r(d_t) = \frac{\sum^n (Q_{ORCH}^n - Q_{ORCH}) \times (Q_{OBS}^{n-d_t} - Q_{OBS})}{\sqrt{\sum^n (Q_{ORCH}^n - Q_{ORCH})^2} \sqrt{\sum^n (Q_{OBS}^{n-d_t} - Q_{OBS})^2}}$$  \hspace{1cm} (A3)

where $n$ is the month, $d_t$ (months) the delay, $Q_{ORCH}^n$ and $Q_{ORCH}$ (m$^3$ s$^{-1}$), respectively monthly and monthly mean streamflow simulated by the model and $Q_{OBS}^n$ and $Q_{OBS}$ (m$^3$ s$^{-1}$), respectively monthly and monthly mean observed streamflows.

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Amazon discharge simulation using ORCHIDEE forced by new datasets

M. Guimberteau et al.

Abstract

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Interactive Discussion


Table 1. List of atmospheric forcing variables in NCC.

<table>
<thead>
<tr>
<th>Name</th>
<th>Description</th>
<th>Units</th>
</tr>
</thead>
<tbody>
<tr>
<td>$T_{\text{air}}$</td>
<td>Two-meter air temperature</td>
<td>K</td>
</tr>
<tr>
<td>$Q_{\text{air}}$</td>
<td>Two-meter air specific humidity</td>
<td>kg kg$^{-1}$</td>
</tr>
<tr>
<td>Wind_N</td>
<td>Ten-meter wind speed ($u$ component)</td>
<td>m s$^{-1}$</td>
</tr>
<tr>
<td>Wind_E</td>
<td>Ten-meter wind speed ($v$ component)</td>
<td>m s$^{-1}$</td>
</tr>
<tr>
<td>$P_{\text{surf}}$</td>
<td>Surface pressure</td>
<td>Pa</td>
</tr>
<tr>
<td>SW$_{\text{down}}$</td>
<td>Surface downward short wave flux</td>
<td>W m$^{-2}$</td>
</tr>
<tr>
<td>LW$_{\text{down}}$</td>
<td>Surface downward long wave flux</td>
<td>W m$^{-2}$</td>
</tr>
<tr>
<td>Rainf</td>
<td>Rainfall rate</td>
<td>kg m$^{-2}$ s$^{-1}$</td>
</tr>
<tr>
<td>Snowf</td>
<td>Snowfall rate</td>
<td>kg m$^{-2}$ s$^{-1}$</td>
</tr>
</tbody>
</table>
**Table 2.** List of ORE HYBAM gauge stations over the Amazon River basin. Except for the streamflow at the river mouth (1972–2003), the mean annual discharge ($Q_{\text{mean}}$) corresponds to the mean annual value of HYBAM data for the mean time period 1980–2000.

<table>
<thead>
<tr>
<th>Station</th>
<th>Abbreviation</th>
<th>River</th>
<th>Latitude</th>
<th>Longitude</th>
<th>$Q_{\text{mean}}$ (m$^3$ s$^{-1}$)</th>
<th>Area (km$^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mouth (Callede et al., 2010)</td>
<td>AMAZ</td>
<td>Amazonas</td>
<td>~0.00</td>
<td>~−50.5</td>
<td>206 000</td>
<td>5 961 000</td>
</tr>
<tr>
<td>Óbidos</td>
<td>OBI</td>
<td>Amazonas</td>
<td>−1.95</td>
<td>−55.30</td>
<td>169 515</td>
<td>4 680 000</td>
</tr>
<tr>
<td>Manacapuru</td>
<td>MANA</td>
<td>Solimoes</td>
<td>−3.31</td>
<td>−60.61</td>
<td>100 819</td>
<td>2 242 400</td>
</tr>
<tr>
<td>Sao Paulo de Olivença</td>
<td>SPO</td>
<td>Solimoes</td>
<td>−3.45</td>
<td>−68.75</td>
<td>46 206</td>
<td>990 781</td>
</tr>
<tr>
<td>Tamshiyacu</td>
<td>TAM</td>
<td>Amazonas</td>
<td>−4.00</td>
<td>−73.16</td>
<td>30 530</td>
<td>726 400</td>
</tr>
<tr>
<td>Fazenda Vista Alegre</td>
<td>FVA</td>
<td>Madeira</td>
<td>−4.68</td>
<td>−60.03</td>
<td>28 374</td>
<td>1 293 600</td>
</tr>
<tr>
<td>Porto Velho</td>
<td>PVE</td>
<td>Madeira</td>
<td>−8.74</td>
<td>−63.92</td>
<td>19 418</td>
<td>954 400</td>
</tr>
<tr>
<td>Guajara-Mirim</td>
<td>GMIR</td>
<td>Mamore</td>
<td>−10.99</td>
<td>−65.55</td>
<td>8041</td>
<td>532 800</td>
</tr>
<tr>
<td>Rurrenabaque</td>
<td>RUR</td>
<td>Beni</td>
<td>−14.55</td>
<td>−67.55</td>
<td>19 86</td>
<td>67 500</td>
</tr>
<tr>
<td>Labrea</td>
<td>LAB</td>
<td>Purus</td>
<td>−7.25</td>
<td>−64.80</td>
<td>5472</td>
<td>230 000</td>
</tr>
<tr>
<td>Gavião</td>
<td>GAV</td>
<td>Jurua</td>
<td>−4.84</td>
<td>−66.85</td>
<td>46 326</td>
<td>170 400</td>
</tr>
<tr>
<td>Acanaui</td>
<td>ACA</td>
<td>Japura</td>
<td>−1.82</td>
<td>−66.60</td>
<td>14 075</td>
<td>251 800</td>
</tr>
<tr>
<td>Serrinha</td>
<td>SER</td>
<td>Negro</td>
<td>−0.48</td>
<td>−64.83</td>
<td>16 193</td>
<td>291 100</td>
</tr>
<tr>
<td>Caracarai</td>
<td>CARA</td>
<td>Branco</td>
<td>+1.83</td>
<td>−61.08</td>
<td>2780</td>
<td>130 600</td>
</tr>
<tr>
<td>Sao Francisco</td>
<td>SFR</td>
<td>Jari</td>
<td>−0.41</td>
<td>−52.33</td>
<td>990</td>
<td>51 343</td>
</tr>
<tr>
<td>Altamira</td>
<td>ALT</td>
<td>Xingu</td>
<td>−3.38</td>
<td>−52.14</td>
<td>8000</td>
<td>469 100</td>
</tr>
<tr>
<td>Itaituba</td>
<td>ITA</td>
<td>Tapajos</td>
<td>−4.24</td>
<td>−56.00</td>
<td>11 789</td>
<td>461 100</td>
</tr>
</tbody>
</table>
Table 3. Proportions of maximal fractions of floodplains (MFF), swamps (MFS) and lakes (% of the areas of the basin) over the Amazon River basin according to GLWD and PRIMA datasets.

<table>
<thead>
<tr>
<th>Flooded areas</th>
<th>GLWD</th>
<th>PRIMA</th>
</tr>
</thead>
<tbody>
<tr>
<td>MFF</td>
<td>2.59 %</td>
<td>4.22 %</td>
</tr>
<tr>
<td>MFS</td>
<td>15.4 %</td>
<td>7.97 %</td>
</tr>
<tr>
<td>Lakes</td>
<td>0.79 %</td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>18.8 % (1.17 x 10^6 km^2)</td>
<td>12.9 % (0.80 x 10^6 km^2)</td>
</tr>
</tbody>
</table>
Table 4. Maximal areas in floodplains (km$^2$) from satellite estimates (Hamilton et al., 2002; Hess et al., 2003) and the two datasets GLWD and PRIMA. Number in brackets is the relative error (in %) between the datasets and the estimates.

<table>
<thead>
<tr>
<th>Region</th>
<th>Lon</th>
<th>Lat</th>
<th>Hamilton et al. (2002)</th>
<th>Hess et al. (2003)</th>
<th>GLWD</th>
<th>PRIMA</th>
</tr>
</thead>
<tbody>
<tr>
<td>Central Amazon</td>
<td>72.0°W–54.0°W</td>
<td>8.00°S–0.00°S</td>
<td>–</td>
<td>277 440</td>
<td>173 395$^a$ (−37.5)</td>
<td>231 418$^a$ (−16.6)</td>
</tr>
<tr>
<td>Mainstem of the Amazon</td>
<td>70.0°W–52.0°W</td>
<td>2.00°S–5.00°S</td>
<td>97 360</td>
<td>–</td>
<td>6245 (−93.6)</td>
<td>69 862 (−28.2)</td>
</tr>
<tr>
<td>Llanos de Moxos</td>
<td>68.0°W–61.0°W</td>
<td>16.0°S–12.0°S</td>
<td>92 094</td>
<td>–</td>
<td>5217 (−94.3)</td>
<td>64 879 (−29.6)</td>
</tr>
<tr>
<td>Roraima</td>
<td>61.5°W–59.0°W</td>
<td>2.25°N–4.50°N</td>
<td>16 530</td>
<td>–</td>
<td>4466 (−73.0)</td>
<td>19 168 (+16.0)</td>
</tr>
</tbody>
</table>

$^a$ Swamps are included.
Table 5. Mean annual values of precipitation (P), evapotranspiration (ET) and total runoff (R) (all in mm d$^{-1}$) from estimates and simulations ORCH1 and ORCH2 over the Amazon River basin and different regions of the basin. Values between brackets are the mean annual relative errors (in %) between simulations ORCHs and estimates. Total simulated runoff is the sum of surface runoff and deep drainage minus the reinfiltration of water over floodplains and the returnflow to the soil over the swamps. Time period can be different according the study. Between 1980–2000, estimates are compared with ORCHIDEE results for the corresponding time period of the simulation. Otherwise, the average of the 21 yr of simulation is used. (a) From 29 estimated values calculated by mass and energy balance models and global model reanalysis data. (b) Estimated values from rain gauge stations (Marengo, 2005) and several data sources: Global Historical Climatology Network (GHCN, Vose et al., 1992), NOAA Climate Prediction Center (CPC) Merged Analysis of Precipitation (CMAP, Xie and Arkin, 1997), Global Precipitation Climatology Project (GPCP, Huffman et al., 1995), National Centers for Environmental Prediction (NCEP), Legates-Wilmott (NW, Legates and Willmott, 1992) and Climate Research Unit (CRU, New et al., 2000) data.

<table>
<thead>
<tr>
<th>Site (City, State)</th>
<th>Site ID</th>
<th>Lon (°W)</th>
<th>Lat (°S)</th>
<th>Reference</th>
<th>Study Time period</th>
<th>Site type</th>
<th>P (mm d$^{-1}$)</th>
<th>ET (mm d$^{-1}$)</th>
<th>R (mm d$^{-1}$)</th>
<th>P (mm)</th>
<th>ET (mm)</th>
<th>R (mm)</th>
<th>P (mm)</th>
<th>ET (mm)</th>
<th>R (mm)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Amazon River basin</td>
<td>– –</td>
<td>– –</td>
<td>– –</td>
<td>Da Rocha et al. (2009)(a)</td>
<td>1970–1999</td>
<td>– –</td>
<td>2.70 to 5.20</td>
<td>–</td>
<td>–</td>
<td>5.63</td>
<td>2.82</td>
<td>–</td>
<td>6.00</td>
<td>2.75</td>
<td></td>
</tr>
<tr>
<td>2F–K3n14 (Manaus, Amazonas)</td>
<td>K14</td>
<td>60.12</td>
<td>2.59</td>
<td>Machado et al. (2002)</td>
<td>Sep 1996–Aug 1998</td>
<td>Flux tower</td>
<td>5.72</td>
<td>3.08</td>
<td>6.65 (-16.3)</td>
<td>2.88 (-6.49)</td>
<td>–</td>
<td>6.80 (+18.9)</td>
<td>2.79 (-9.42)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>(Manaus, Amazonas)</td>
<td>K34</td>
<td>60.20</td>
<td>2.60</td>
<td>Anupji et al. (2002)</td>
<td>Jul 1999–Sep 2000</td>
<td>Flux tower</td>
<td>7.48</td>
<td>3.10</td>
<td>6.26 (-16.3)</td>
<td>2.93 (-5.48)</td>
<td>–</td>
<td>5.96 (+20.3)</td>
<td>2.84 (-8.39)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>(Manaus, Amazonas)</td>
<td>DCK</td>
<td>59.95</td>
<td>2.95</td>
<td>Shutlerworth (1988)</td>
<td>Sep 1983-Sep 1985</td>
<td>Field site</td>
<td>7.19</td>
<td>3.66</td>
<td>5.83 (-18.9)</td>
<td>2.63 (-28.1)</td>
<td>–</td>
<td>6.90 (-4.03)</td>
<td>2.52 (-31.1)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>(Santarém, Pará western)</td>
<td>JAV</td>
<td>50.15</td>
<td>9.82</td>
<td>Bommar et al. (2009)</td>
<td>Oct 2003–Sep 2006</td>
<td>Flux tower</td>
<td>4.64</td>
<td>3.65</td>
<td>5.19 (-11.0)</td>
<td>3.35 (-8.22)</td>
<td>–</td>
<td>5.43 (+17.0)</td>
<td>3.56 (-7.95)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Biological Reserve of Jaru (Ji–Parana, Rondonia)</td>
<td>JRA</td>
<td>61.93</td>
<td>10.08</td>
<td>Von Randow et al. (2004)</td>
<td>Feb 1999–Sep 2002</td>
<td>Flux tower</td>
<td>5.95</td>
<td>3.70</td>
<td>5.23 (-12.1)</td>
<td>3.02 (-18.4)</td>
<td>–</td>
<td>5.64 (-5.21)</td>
<td>2.93 (-20.8)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>
Table 6. Comparison of the mean annual values (all in mm d\(^{-1}\)) of precipitation (\(P\)), transpiration (\(T_v\)) and evaporation of water over the leaves (\(E_v\)) between measurements by Shuttleworth (1988) near Manaus (Ducke Reserve, see Table 5 for the coordinates) and results from the two simulations ORCH1 and ORCH2, over the mean time period September 1983–September 1985. Values between brackets and \(r^2\) are, respectively the mean annual relative error (%) and the coefficient of correlation between simulation and observation.

<table>
<thead>
<tr>
<th></th>
<th>(P) mm d(^{-1}) (%)</th>
<th>(r^2)</th>
<th>(E_v) mm d(^{-1}) (%)</th>
<th>(r^2)</th>
<th>(T_v) mm d(^{-1}) (%)</th>
<th>(r^2)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Shuttleworth (1988)</td>
<td>7.19</td>
<td>–</td>
<td>0.91</td>
<td>–</td>
<td>2.75</td>
<td>–</td>
</tr>
<tr>
<td>ORCH1</td>
<td>5.83 (−18.9)</td>
<td>0.66</td>
<td>1.61 (+76.9)</td>
<td>0.61</td>
<td>0.93 (−66.2)</td>
<td>0.71</td>
</tr>
<tr>
<td>ORCH2</td>
<td>6.90 (−4.03)</td>
<td>0.71</td>
<td>1.16 (+27.5)</td>
<td>0.73</td>
<td>1.27 (−53.8)</td>
<td>0.77</td>
</tr>
</tbody>
</table>
**Table 7.** Comparison of the water height index $H_{\text{index}}$ (m) between simulations ORCH2 to ORCH4 and observations, in 4 locations on the mainstem (ID A) and 4 locations on the Rio Negro–Branco (ID B) (see Fig. 16 for locations), for the time period 1993–2000. Monthly mean correlation coefficient $\rho^2$ and monthly standard deviation $\sigma$ are given.

<table>
<thead>
<tr>
<th>ID</th>
<th>Lat.</th>
<th>Lon.</th>
<th>Observed</th>
<th>$H_{\text{index}}$ (m)</th>
<th>$\rho^2$</th>
<th>$\sigma$ (m)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>ORCH2</td>
<td>ORCH3</td>
<td>ORCH4</td>
</tr>
<tr>
<td>A1</td>
<td>−1.98</td>
<td>−53.85</td>
<td>2.85</td>
<td>75.98</td>
<td>8.82</td>
<td>6.39</td>
</tr>
<tr>
<td>A2</td>
<td>−2.51</td>
<td>−56.50</td>
<td>4.76</td>
<td>66.35</td>
<td>51.88</td>
<td>36.93</td>
</tr>
<tr>
<td>A3</td>
<td>−3.23</td>
<td>−59.08</td>
<td>7.98</td>
<td>43.66</td>
<td>22.27</td>
<td>14.07</td>
</tr>
<tr>
<td>A4</td>
<td>−3.86</td>
<td>−61.69</td>
<td>7.70</td>
<td>40.40</td>
<td>14.70</td>
<td>9.16</td>
</tr>
<tr>
<td>B1</td>
<td>−3.18</td>
<td>−60.00</td>
<td>7.72</td>
<td>19.28</td>
<td>10.19</td>
<td>6.37</td>
</tr>
<tr>
<td>B2</td>
<td>−1.28</td>
<td>−62.00</td>
<td>5.38</td>
<td>3.14</td>
<td>2.14</td>
<td>1.35</td>
</tr>
<tr>
<td>B3</td>
<td>−1.06</td>
<td>−63.00</td>
<td>3.56</td>
<td>–</td>
<td>1.21</td>
<td>–</td>
</tr>
<tr>
<td>B4</td>
<td>−0.46</td>
<td>−62.00</td>
<td>4.32</td>
<td>5.06</td>
<td>2.19</td>
<td>1.37</td>
</tr>
<tr>
<td>Sta</td>
<td>Observed</td>
<td>ORCH1</td>
<td>ORCH2</td>
<td>ORCH3</td>
<td>ORCH4</td>
<td></td>
</tr>
<tr>
<td>-----</td>
<td>----------</td>
<td>-------</td>
<td>-------</td>
<td>-------</td>
<td>-------</td>
<td></td>
</tr>
<tr>
<td></td>
<td>$Q_{\text{mean}}$</td>
<td>$Q_{\text{min}}$</td>
<td>$Q_{\text{max}}$</td>
<td>$Q_{\text{mean}}$</td>
<td>$Q_{\text{min}}$</td>
<td>$Q_{\text{max}}$</td>
</tr>
<tr>
<td>OBS</td>
<td>(44.24)</td>
<td>(3.90)</td>
<td>(10.2)</td>
<td>(3.80)</td>
<td>(4.80)</td>
<td>(10.2)</td>
</tr>
<tr>
<td>MANA</td>
<td>(43.84)</td>
<td>(3.60)</td>
<td>(10.1)</td>
<td>(3.50)</td>
<td>(4.50)</td>
<td>(10.1)</td>
</tr>
<tr>
<td>SPO</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>TAM</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>GAV</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>LAB</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>FVA</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>PVE</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>GMAR</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>RUR</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
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<tr>
<td>ITA</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>ALT</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>ACA</td>
<td>(42.24)</td>
<td>(3.10)</td>
<td>(9.7)</td>
<td>(3.0)</td>
<td>(4.10)</td>
<td>(9.7)</td>
</tr>
<tr>
<td>SER</td>
<td>(42.24)</td>
<td>(3.10)</td>
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**Table A1.** Statistical results of observed and simulated discharges ($Q_{\text{mean}}, Q_{\text{min}}, Q_{\text{max}}$) for the studied stations over the period 1980–2000. Values between brackets are relative differences (%) between simulation and estimate.

*** Means that there was no change compared to previous simulation.
Fig. 1. Flow chart of the routing channel connected with floodplains/swamps module in ORCHIDEE. Example of two sub-basins A (with a swamp fraction) and B (with a floodplain fraction) included into one grid cell p.
Fig. 2. Map of the Amazon River sub-basins and the main rivers. Localization of the main ORE HYBAM gauge stations (see Table 2 for their coordinates). Color is used to distinguish the different sub-basins. Topographic scale is indicated.
Fig. 3. Precipitation (mm yr$^{-1}$) over the Amazon River basin from (a) NCC and (b) HYBAM. (c) Differences between (b) and (a). For topographic scale, see Fig. 2.
Fig. 4. Fraction of floodplains within the mesh (% of the mesh area) over the Amazon River basin from (a) GLWD and (b) PRIMA. (c) Differences between (b) and (a). Dark green and brown colors indicate the topography of the region. For topographic scale, see Fig. 2.
Fig. 5. Fraction of swamps within the mesh (% of the mesh area) over the Amazon River basin from (a) GLWD and (b) PRIMA. (c) Differences between (b) and (a). Dark green and brown colors indicate the topography of the region. For topographic scale, see Fig. 2.
Fig. 6. Comparison of MFF and MFS to Hess et al. (2003)’s observations in different parts of the main stem: Mamirauá near Tefé, Cabalina near Manacapuru and Curuai near Óbidos. Floodplains from Hess et al. (2003) are considered as the sum of “Non vegetated-flooded” and “Non woody-flooded” classes. Swamps are considered as the equivalent of “Woody-flooded” class. Color is used to distinguish the different sub-basins.
Fig. 7. Map of locations of flux towers stations (in red). See Table 5 for the coordinates of the stations. Color is used to distinguish the different sub-basins. For topographic scale, see Fig. 2.
Fig. 8. Comparison of times series of (a) precipitation ($P$), (b) evaporation of water over the leaves ($E_v$) and (c) transpiration ($T_v$) (all in mm d$^{-1}$) between the two simulations (ORCH1 and ORCH2) and estimates from Shuttleworth (1988) near Manaus (Ducke Reserve), over the period September 1983–September 1985.
Fig. 9. Mean relative error of Qmean (%) between simulations (a) ORCH1, (b) ORCH2 and observation over the time period 1980–2000. The color indicates the sign of the error: red is negative error, blue is positive error and grey is very low error. The error is represented for the different stations (colored circles) and their associated sub-basins (same color than the corresponding station). Five residual basins are also represented: SPO*, MANA*, OBI*, PVE* and FVA*. Qmean of each residual basin is the difference between the downstream and the upstream station(s) Qmean. Thus, the color of the residual basin can be different from the color of the downstream station. For topographic scale, see Fig. 2.
Fig. 10. Mean monthly discharge (m$^3$s$^{-1}$) at OBI for simulations ORCH1 and ORCH2 compared to observations. (a) Mean annual seasonality and (b) interannual variation over the time period 1980–2000.
Fig. 11. Mean seasonal discharges (m$^3$s$^{-1}$) over the sub-basins for simulations ORCH1 and ORCH2 compared to observations, over the mean period 1980–2000. The stations are organized according their locations (North (N), North-East (NE), East (E), South-East (SE), South-West (SW), West (W) and North-West (NW)).
Fig. 12. Interannual variation of monthly discharge (m$^3$ s$^{-1}$) at SER for simulations ORCH1 and ORCH2 compared to observations, over the time period 1980–2000.
Fig. 13. Interannual variation of maximal monthly discharge \( (m^3 \, s^{-1}) \) at CARA for simulations ORCH1 and ORCH2 compared to observations, over the time period 1980–2000.
Fig. 14. Mean monthly seasonal discharge (m$^3$s$^{-1}$) at OBI for simulation ORCH3 compared to (a) ORCH2 and (b) ORCH4. Comparison with observations is shown over the mean time period 1980–2000.
Fig. 15. Mean monthly seasonal discharge (m³ s⁻¹) at (a) GMIR and (b) CARA for simulation ORCH3 compared to ORCH2 and observations, over the mean time period 1980–2000.
Fig. 16. Map of locations of virtual stations on Topex/Poseidon ground tracks available for the period 1993–2000: 4 locations on the mainstem (ID An with $n = 1$ to 4 in light blue) and 4 locations on the Rio Negro-Branco (ID Bn with $n = 1$ to 4 in red). See Table 7 for coordinates of the stations. Color is used to distinguish the different sub-basins.
Fig. 17. Interannual variation of monthly water height index $H_{\text{index}}$ (m) at station B1 (see Fig. 16 for location) on the Rio Negro, for the simulations ORCH2 to ORCH4 compared to the Topex/Poseidon observations, over the time period 1993–2000.